1. Show that solution of $T(n)=2 T(n / 2)+n$ is $O(n l g n)$. // assume $n$ is even number
a. Guess the running time: $\mathrm{T}(\mathrm{n})=\mathrm{O}(\mathrm{nlgn})$
b. Use mathematical induction to find the constants and show the solution works:
2. Name three ways to find the asymptotic running time for recurrences.

A: $\qquad$ B: $\qquad$ tree $\qquad$ C: $\qquad$
HINT:
A. name of method used for problem 1.
C. The name of the theorem that can be applied to find running time on recurrences of the from $T(n)=a T(n / b)+f(n)($ with additional conditions)

## In Class Problems

1. Why would it false to "prove" $T(n)=O(n)$ by guessing $T(n)<=c n$ for recurrence of $T(n)=2 T(n / 2)+n$ ?
2. $T(n)=2 T(\operatorname{sqrt}(n))+\operatorname{lgn}$
